



EFFECTS OF ULTRAPERIPHERAL NUCLEAR COLLISIONS IN THE LHC AND THEIR ALLEVIATION

R. Bruce, S. Gilardoni, J.M. Jowett



Outline



- **Electromagnetic processes in the LHC during ion operation**
- **Bound Free Pair Production**
 - estimated effect
 - alleviation proposal
 - operational aspects
- **Electromagnetic dissociation**
 - estimated effect
- **Conclusion**

Electromagnetic processes

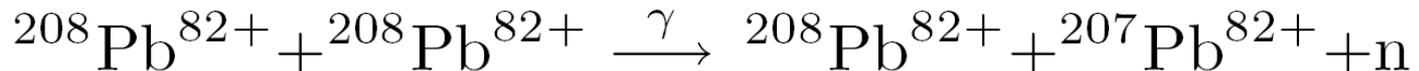
- During Pb^{82+} operation in the LHC, electromagnetic interactions between colliding beams take place at IP:

- **Bound Free Pair production (BFPP):**



$$\sigma^{\text{BFPP}} \approx 281 \text{ barn} \quad \text{H. Meier } et al., \text{ Phys. Rev. A } 63.032713 \text{ (2001)}$$

- **Electromagnetic Dissociation (EMD), 1 or 2 neutrons:**



$$\sigma_{1n}^{\text{EMD}} \approx 215 \text{ barn} \quad \text{I.A. Pshenichnov } et al, \text{ Phys. Rev. C } 64.024903 \text{ (2001)}$$

$$\sigma_{2n}^{\text{EMD}} \approx 0.2 \sigma^{\text{BFPP}}$$

Compare: $\sigma_{\text{hadr}} = 8 \text{ barn}$

Magnetic rigidity change

- BFPP and EMD create ions with altered magnetic rigidity:

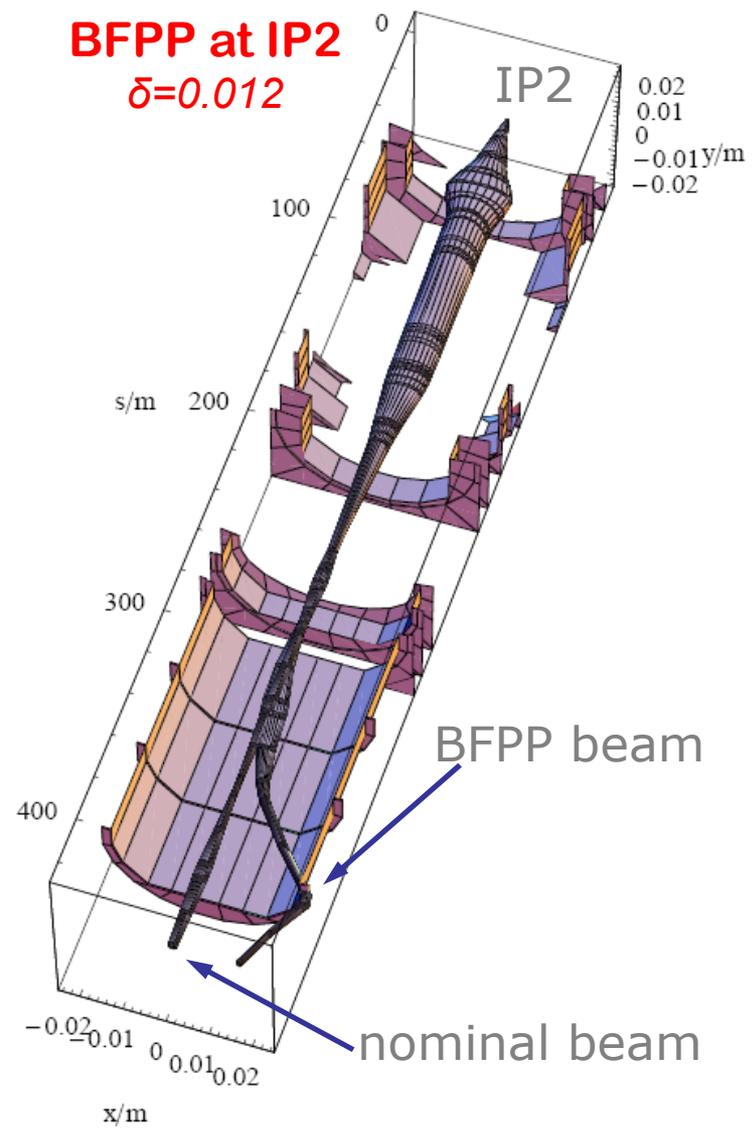
$$\delta = \frac{Z_0}{A_0} \frac{A}{Z} (1 + \delta_{\text{kin}}) - 1$$

- These ions follow locally generated dispersion function from IP

- Lost in localized spot where aperture and δ satisfy

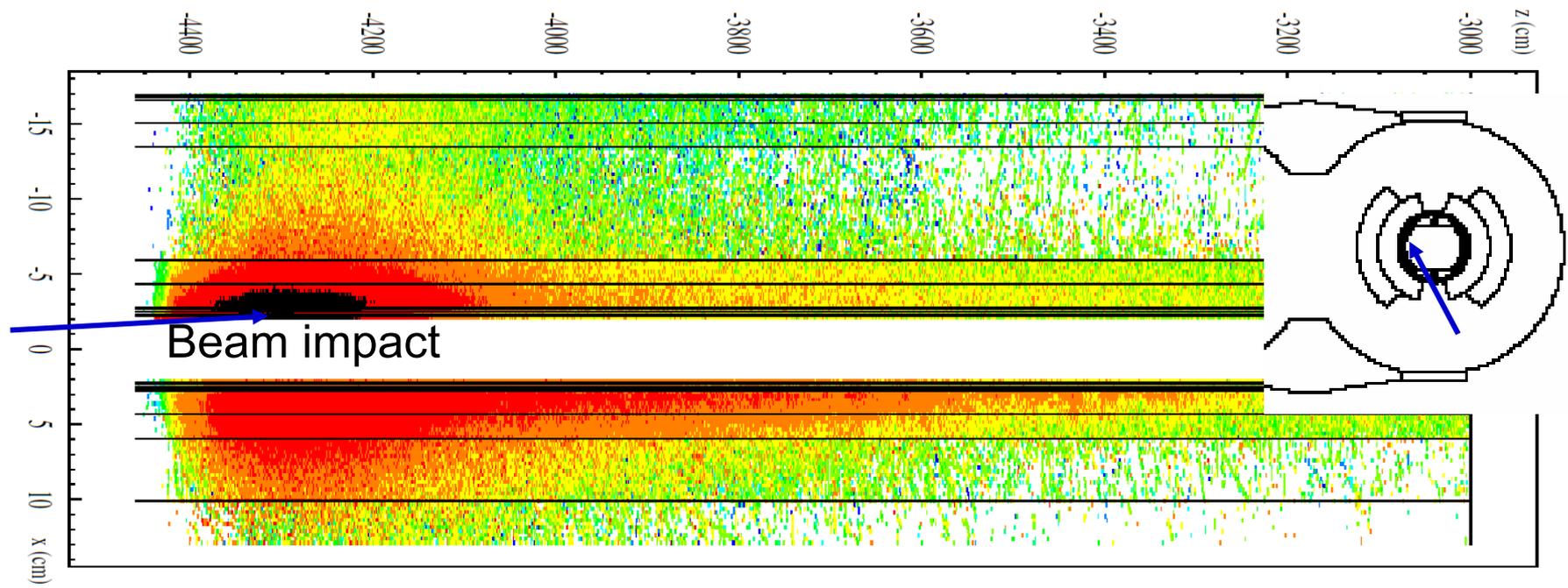
$$\delta d_x = A_x$$

- Induced heating risk to quench superconducting magnets

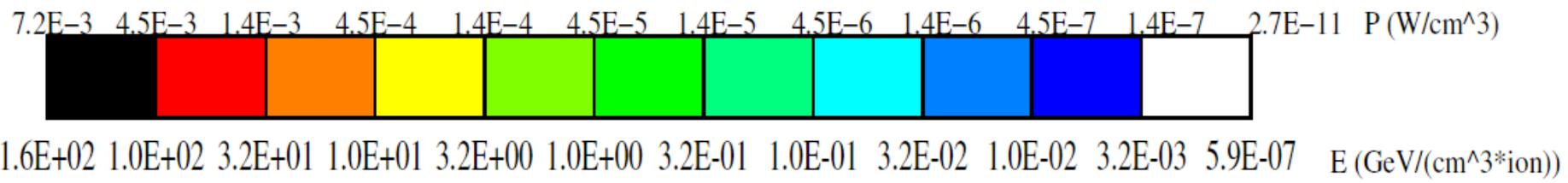


Effect of BFPP

- FLUKA simulation of shower in main dipole magnet, peak luminosity



Quench limit in LHC design report!





Effect of BFPP (2)

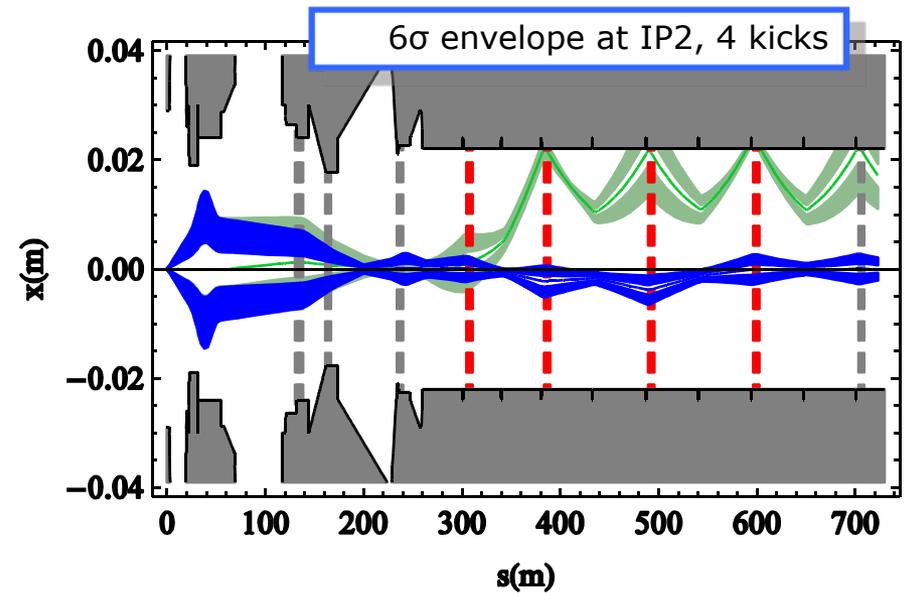
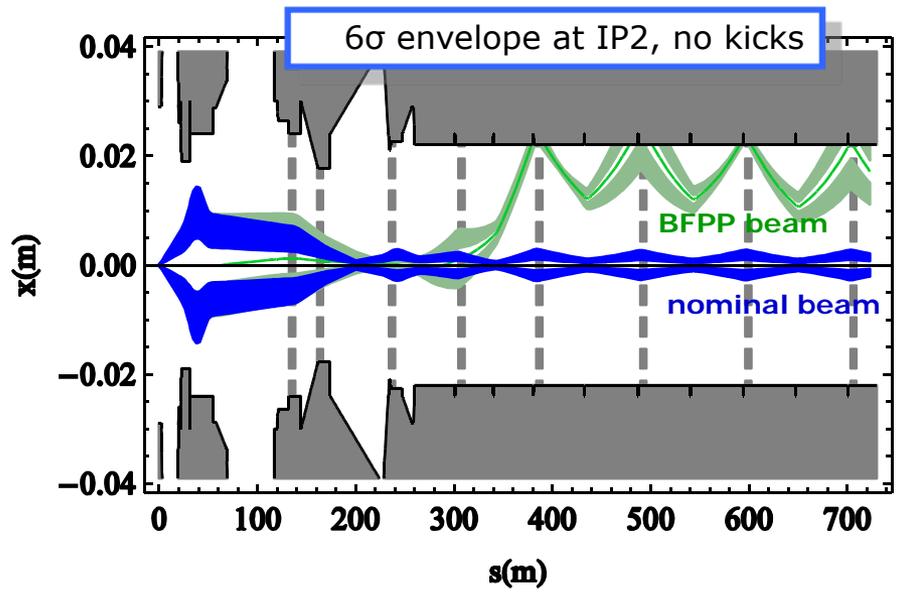
- Some other estimates of quench limit exist, indicating a factor ~2-3 higher
- However, even if they are correct the energy deposition from BFPP is at 80% of limit
- Simulation uncertainty: factor ~2
- Uncertainty in quench limit, BFPP cross section and shower simulation

~~Quenches induced by the heating from BFPP losses can not be excluded!~~

~~In case these losses cause quenches, we need to introduce counter measures!~~

Idea: BFPP alleviation

- BFPP orbit oscillates with dispersion function
- Idea: distribute losses over several impact positions with closed orbit bumps
- Use existing orbit correctors

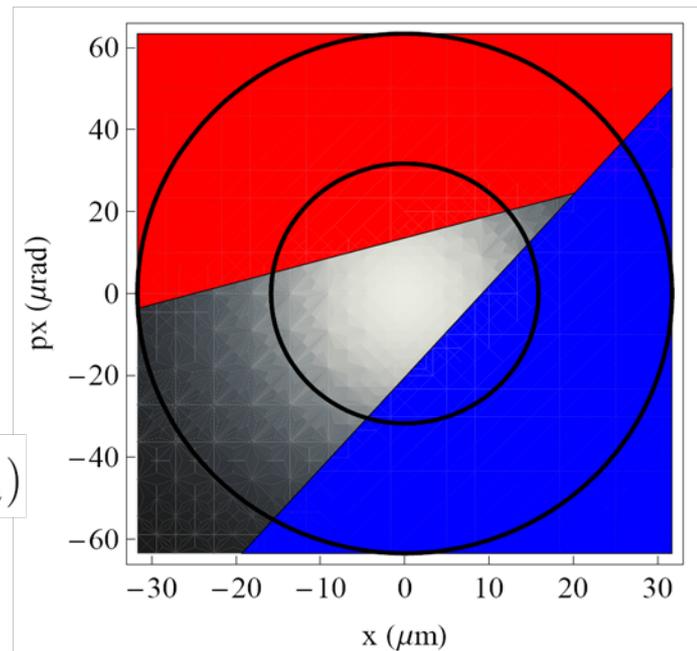


- Example: losses equally distributed over 3 impact position
Maximum heat load in a single element decreases by factor 3

Orbit displacements

- Each aperture limitation defines cut in initial phase space
- Integrated phase space population in each area = 1/3
- Formally, the particles lost at aperture limitation m contained in region

$$R_m: C_m x_0 + S_m p_{x0} + x_B(s_m) + \Delta_m > A_x(s_m)$$

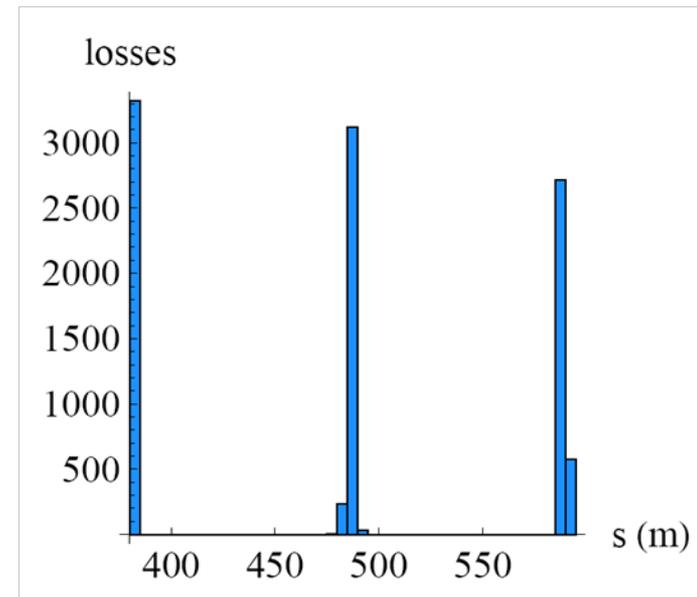


Phase space at IP2

- Solve equation system for Δ_m :

$$\iint_{R_m \cap (R_1^c \cup R_2^c \dots \cup R_{m-1}^c)} P_\beta(x_0, p_{x0}) dx_0 dp_{x0} = 1/n, \forall m$$

- First step analytically solvable
- Iteration with numeric method gives all Δ_m
- Once Δ_m are known, kicks are easily found by matching
- To distribute losses over n impact locations, we need $n+1$ kicks
- Expected loss pattern confirmed by single particle tracking





Operational aspects

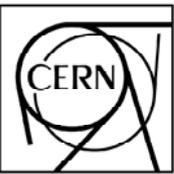


- **Maximum deviation of nominal orbit = 3.8 mm**
- **6 σ envelope still far from aperture**
- **Beta beating of 1.7%**

- **Required corrector settings:**

s (m)	Δ (mm)	θ (μ rad)	B (T)	r (%)
307.394	2.23	-17.5	0.45	14.6
386.922	4.06	-28.5	0.74	23.8
492.547		-14.4	0.52	17.7
599.444		-22.2	0.80	27.3

- **Adjustments of 0.1% of total strength necessary**



Tuning of orbit bumps

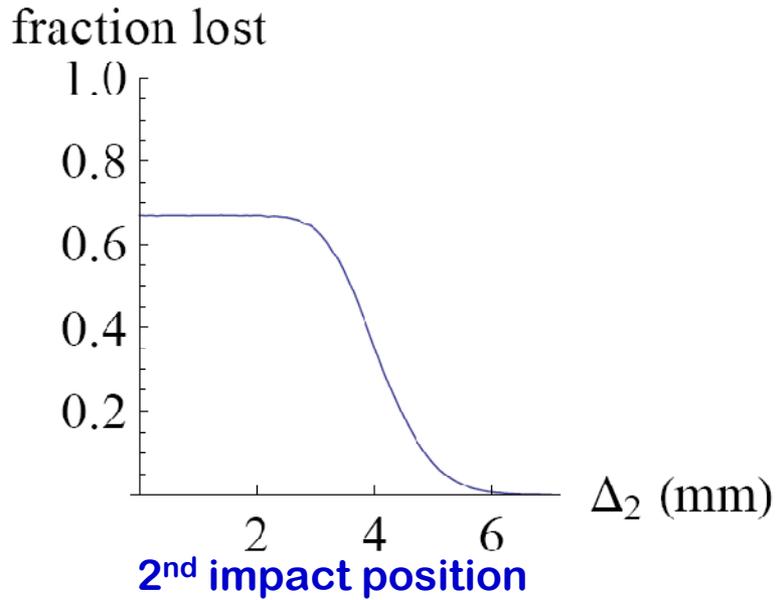
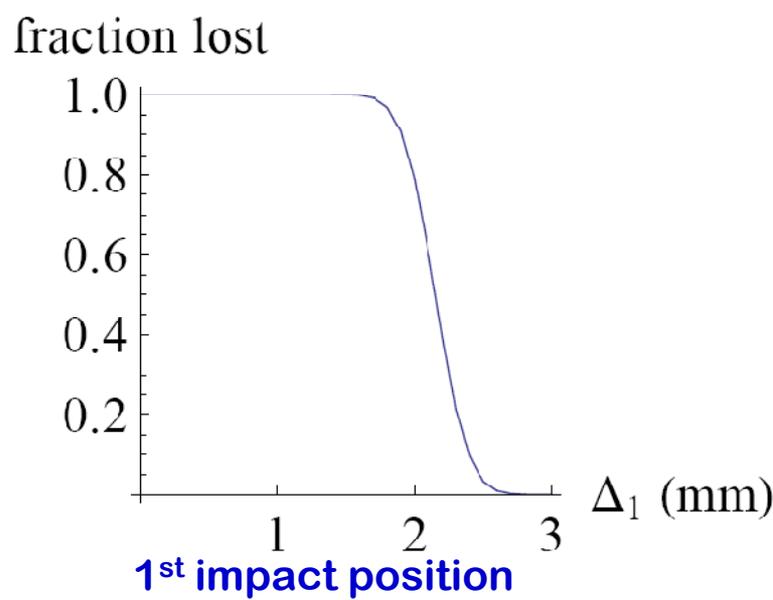
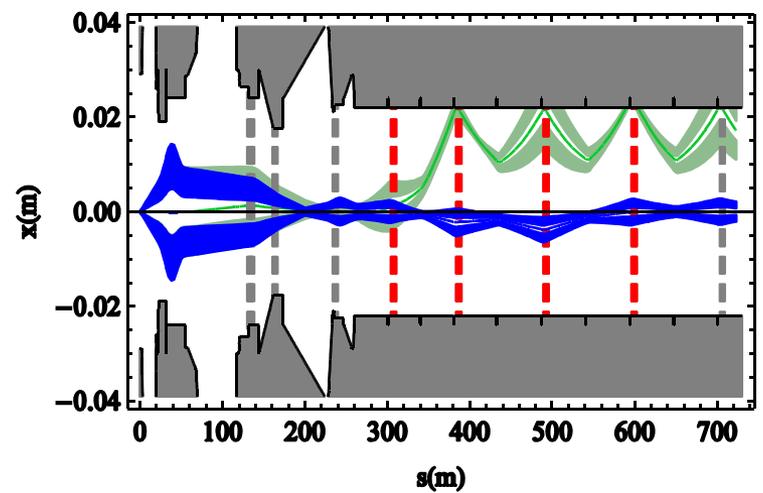


- Closed orbit in imperfect machine and aperture errors change necessary displacement
- Correctors have to be tuned around predicted value, using BLMs
- Bumps have to be introduced before full luminosity is reached
- Can be achieved by van der Meer-scan in vertical plane



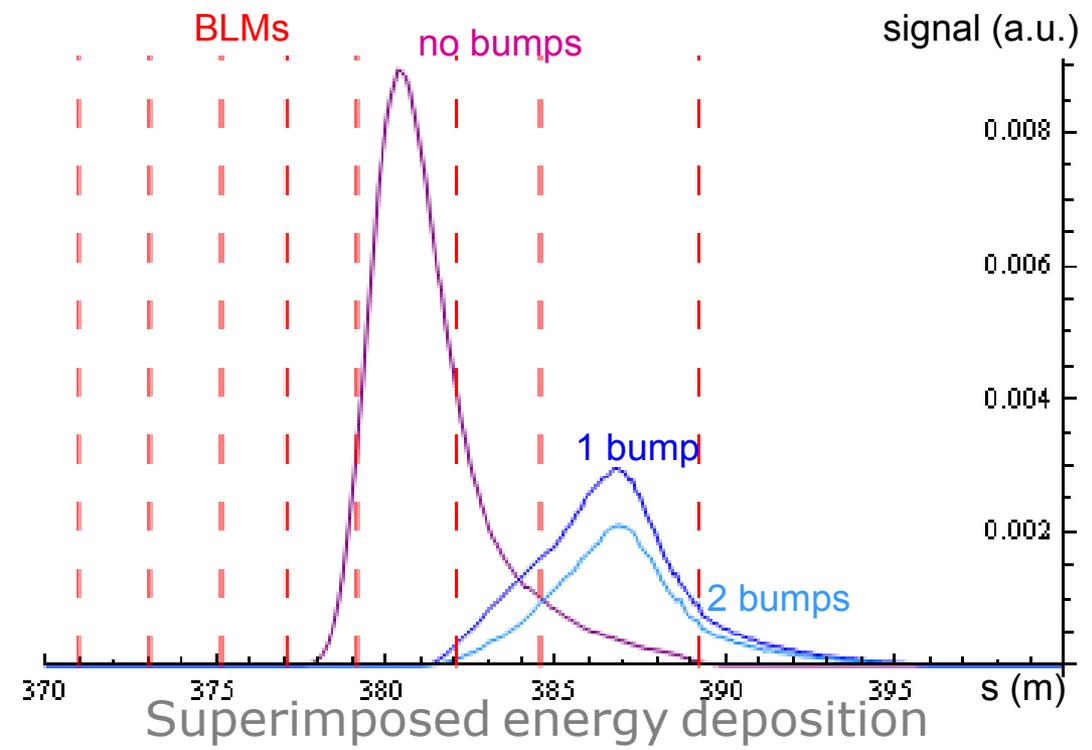
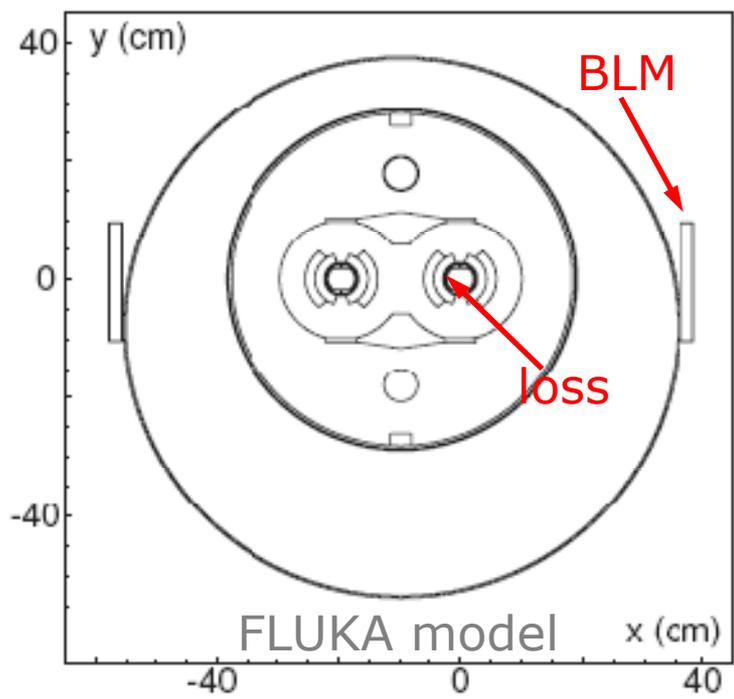
Tuning of bumps (2)

- Proposed method: start by tuning the first corrector to have 1/3 lost at first impact position, let correctors 2 and 3 follow to close the bump
- Tune second correctors to have 1/2 of remaining losses lost at second impact location, let correctors 3 and 4 follow to close the bump



Estimated BLM signals

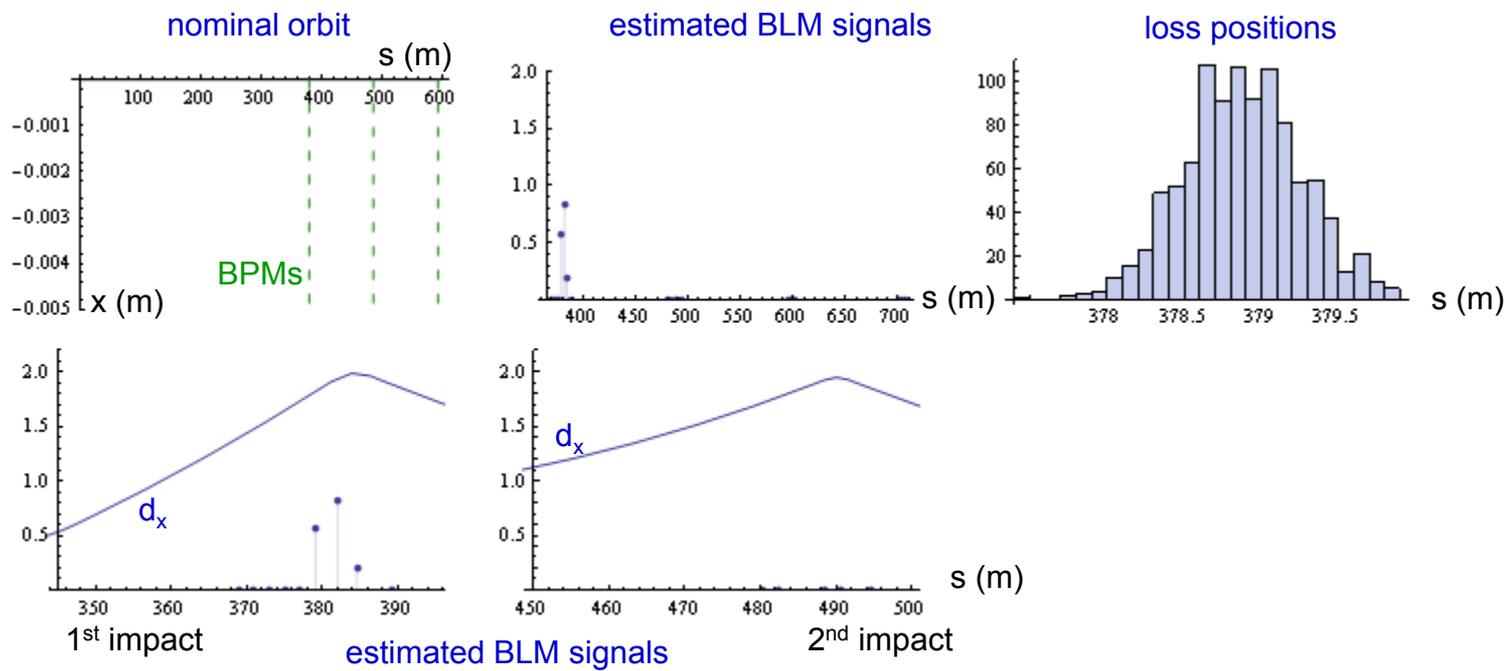
- Estimate losses at different impact positions by monitoring BLM signals
- Approximation of expected ratio between BLM signals: convolution of BLM signal from pencil beam as simulated by FLUKA and impact positions from tracking





Example: Tuning first bump

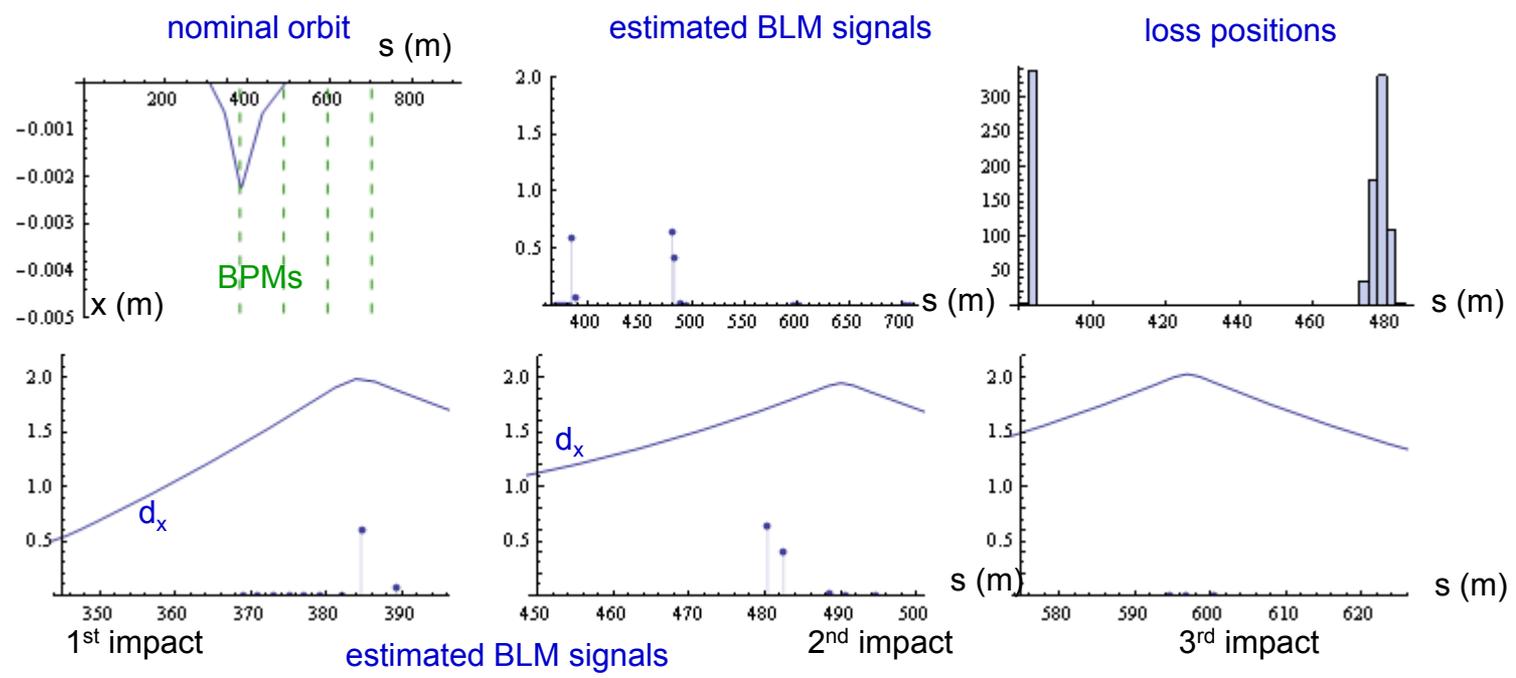
- Tuning in steps of $\sim 1.3\%$ of total corrector strength
- Steps of $\sim 0.1\%$ could be necessary for fine-tuning





Example: Tuning second bump

- Tuning in steps of $\sim 1.8\%$ of total corrector strength
- Steps of $\sim 0.1\%$ could be necessary for fine-tuning



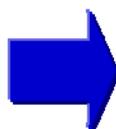
- Due to uncertainties, we can not hope to reach exactly 1/3 at each impact position
- More bumps might be needed to compensate



Outline



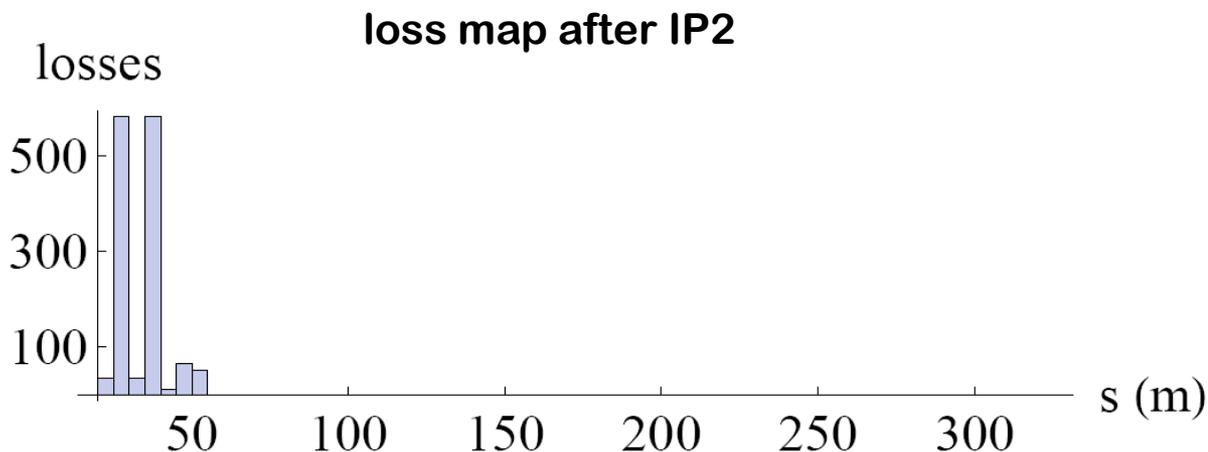
- Electromagnetic processes in the LHC
- BFPP
 - estimated effect
 - alleviation proposal
 - operational aspects
- Electromagnetic dissociation
 - estimated effect
- Conclusion





1-neutron EMD

- $\delta = -0.0048$ is still inside momentum aperture
- These particles can make a full turn and should be intercepted by collimation system
- Tracking with ICOSIM from each IP:
 - 99% of EMD particles lost in collimators
 - remaining 1% impose no risk of quenching





2-neutron EMD



- $\delta = -0.0096$ is outside momentum aperture
- Particles lost in a well-defined spot on the other side of the vacuum chamber
- **Cross section significantly lower:**
$$\sigma_{2n}^{\text{EMD}} \approx 0.2\sigma^{\text{BFPP}}$$
- 5 times lower heating power than BFPP
- Should pose no danger of quenching



Conclusion

- Ions affected by EMD are very unlikely to be dangerous
- Ions affected by BFPP risk to quench magnets
- We propose distributing the losses in several magnets with orbit bumps
- Operational procedure for tuning the bumps proposed
- Future work: detailed FLUKA simulations of estimated BLM signals for increased accuracy