Update on CMS stray field (Injection)

Massimo Giovannozzi, Frank Schmidt, <u>Yi-Peng Sun</u>, Frank Zimmermann

ABP Group, BE Department, CERN

Thanks to Rogelio Tomás, Stephan Russenschuck, Bernhard Auchmann

This work was supported by the European Community-Research Infrastructure Activity under the

FP6 "Structuring the European Research Area" programme (CARE, contract number

RII3-CT-2003-506395).



- Solenoid in the code
- Model of CMS fields
- Coupling
- DA tracking

Thin Solenoid in the code

- MADX convertor: c6t.c
- G. Ripken and F. Schmidt, CERN/SL/95-12
- Added and debugged for all subroutines (Y.-P. Sun and F. Schmidt)
 - 8 tracking routines (4D, 6D)
 - 2 Differential Algebra routines
 - 6 other routines (linear optics and resonances)
- Pure solenoid + fringe field (linear) (derived by F. Zimmermann)

Model: CMS main



B. Dalena, Measurement data; S. Russenschuck andB. Auchmann, simulation data

Model: CMS stray







Fringe field: linear At the entrance of the solenoid we have

$$\Delta p_x = \frac{e \cdot B_y \cdot \Delta s}{p_s} = \frac{e \cdot \Delta B_s}{2 \cdot p_s} \cdot y. \tag{1}$$

$$\Delta p_y = -\frac{e \cdot B_x \cdot \Delta s}{p_s} = -\frac{e \cdot \Delta B_s}{2 \cdot p_s} \cdot x.$$
⁽²⁾

Yi-Peng SUN et al.

Update on CMS stray field – p.6/12

Coupling: LHC injection



Coupling strength: 4.65E-3 (main) (Analytical: 4.67E-3, W. Herr, Chamonix XV); 2.95E-5 (stray)

Short term DA, 1k turns











Benchmark between MADX and SixTrack, LHC collision



• LHC collision + CMS 4 T (IP5)

	Tune x	Tune y
MADX	64.30999975	59.31999956
SixTrack	64.3099997390	59.3199995587

• LHC collision + CMS 40 T (IP5)

	Tune x	Tune y
MADX	64.30998594	59.32001341
SixTrack	64.3099859354	59.3200134058



Fringe field

At the entrance of the solenoid we have

$$\Delta p_x = \frac{e \cdot B_y \cdot \Delta s}{p_s} = \frac{e \cdot \Delta B_s}{2 \cdot p_s} \cdot y.$$
(3)

$$\Delta p_y = -\frac{e \cdot B_x \cdot \Delta s}{p_s} = -\frac{e \cdot \Delta B_s}{2 \cdot p_s} \cdot x. \tag{4}$$

At the exit of the solenoid we have

$$\Delta p_x = -\frac{e \cdot B_y \cdot \Delta s}{p_s} = -\frac{e \cdot \Delta B_s}{2 \cdot p_s} \cdot y.$$
(5)

$$\Delta p_y = \frac{e \cdot B_x \cdot \Delta s}{p_s} = \frac{e \cdot \Delta B_s}{2 \cdot p_s} \cdot x.$$
(6)

with

$$\frac{e}{p_s} = \frac{1}{B \cdot \rho}.\tag{7}$$

where e denotes the particle charge, p_s the momentum, $B \cdot \rho$ the beam rigidity. Yi-Peng SUN et al. Update on CMS stray f

stray field –

p.12/12