# LHCb External V Crossing Angle 

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## vertical crossing angle at IP8



## LHC-B Magnet \& Compensator:

crossing angle at $4 \mathrm{TeV}=+/-236 \mu \mathrm{rad}$
parasitic encounters for 50 ns ... and 25 ns


By adding an external crossing angle bump we have to avoid parasitic encounters for both LHC-B polaristies.
Nota bene: LHC-B bump is compensated (i.e. closed) at $+/-21 \mathrm{~m}$, before the triplet.

## The problem: LHC_B at "wrong polarity"

Present Solution: the orbit effect (in hor. plane) has to be compensated by a strong external horizontal crossing angle bump.

"external bump" zoomed in: first paras. encounter at 25 ns
"external bump" created to compensate the LHC-B effect $\quad \theta=+/-250 \mu \mathrm{rad}$ nota bene: LHC_B $=+/-236 \mu \mathrm{rad}$


## Proposed new Solution:

vertical external crossing angle bump:
crossing angle at $4 \mathrm{TeV}: \quad$ LHC_B $=+/-236 \mu \mathrm{rad}$ vert. angle $=+/-90 \mu \mathrm{rad}$

coils: acbcvs5.l8b1, acbyvs4.18b1, and it works acbyvs4.r8b1
... in principle acbyvs5.r8b1

Problem ?? Aperture in the triplet according to beam screen orientation Operational procedure is tricky

## Proposed new Solution:

 vertical external crossing angle bump:crossing angle required at 4 TeV for sufficient separation at the $1^{\text {st }}$ paras. encounter ( 25 ns !!) $=+/-100 \mu \mathrm{rad}$

plot refers to $3 \mu \mathrm{~m}$ and $+/-5 \sigma$ beam envelope for operation we will use:

$$
\varepsilon=2.5 \mu \mathrm{~m},+/-90 \mu \mathrm{rad}
$$

## Operational Procedure

Injection \& Ramp as today
450 GeV : vert separation $\quad \Delta y=+/-2.0 \mathrm{~mm}$ hor. crossing angle: $x^{\prime}=+/-2.1 \mathrm{mrad}(\mathrm{LHCb})+170 \mu \mathrm{rad}(\mathrm{ext})$

4 TeV : vert separation $\quad \Delta y=+/-650 \mu \mathrm{~m}$

$$
x^{\prime}=+/-236 \mu \mathrm{rad}(\mathrm{LHCb})+250 \mu \mathrm{rad}(\mathrm{ext})
$$

Squeeze at all IP's (.... why ... ? )
After the Squeeze find a combination of crossing angle - and separation - bumps to collapse the beam separation without premature collisions in one or the or the plane
and maneuver the beams into the "diagonal" leveling plane without hitting an encounter !!!

## Proposed Solution:

- Eliminate the External H crossing angle
- Introduce an External V crossing angle

$$
\widehat{\boldsymbol{u}}=-\frac{(\sin \alpha y \mathbf{i}-\sin \alpha \mathrm{x})}{\sqrt{\sin ^{2} \alpha y+\sin ^{2} \alpha x}} \text { for } \alpha_{x}=-236 \mu \mathrm{rad}
$$

$$
\widehat{\boldsymbol{u}}=-\frac{(\sin \alpha y \mathbf{i}+\sin \alpha x \mathbf{j})}{\sqrt{\sin ^{2} \alpha y+\sin ^{2} \alpha x}} \text { for } \alpha_{x}=+236 \mu \mathrm{rad}
$$




GOALS:

1. Determine if different tertiary collimators (TCT) settings are needed as a function of the LHCb polarity;
2. Identify a method that satisfies the following requirements:
3. No head-on collisions are built up during the process;
4. The beam separation at the 50 ns encounters is $\geq 12 \sigma$ in at least one of the planes or in the tilted plane.
5. The beam separation at the 25 ns encounters is $\geq 12 \sigma$ in at least one of the planes or in the tilted plane.

Note:

$$
\begin{aligned}
& \alpha_{\text {ext }}{ }^{H}=250 \mu \mathrm{rad} \rightarrow 0 \\
& \alpha_{\text {ext }} v=0 \rightarrow 100 \mu \mathrm{rad} \\
& \varepsilon_{\mathrm{n}}=3.5 \mu \mathrm{~m} \text { rad }
\end{aligned}
$$

## Conclusions

1. No dependence on the TCT settings as a function of the LHCb dipole polarity is observed.
2. During the collapsing of the external horizontal crossing angle and the building up of the vertical crossing angle, the TCTs will have to follow the beams accordingly.
3. At the end of the process due to the effect of the LHCb dipole polarity, there is $\mathrm{a}<1 \sigma$ beam position difference for each polarity which would have to be absorbed within the same collimators settings.
4. The methods analyzed satisfy the requirement of not having head-on collisions (provided the polarity of the vertical crossing angle is properly chosen; in this study B1: $100 \mu \mathrm{rad} \& \mathrm{~B} 2:-100 \mu \mathrm{rad})$
5. For small vertical separation of the beams, it can be guaranteed that the smallest beam separation at the first 50 ns encounter is never lower than $10 \sigma$.
6. Only methods were the Vertical crossing angle is built first, guarantee a separation $\geq 8 \sigma$ during the whole process EVEN FOR 25 ns.

## No TCT settings dependence with LHCb polarity

collapsing the external hor bump ->
orbit difference at the TCTs for different LHCb polarities ??



METHOD 4: 1. Built $\alpha_{\text {ext }}{ }^{V} \rightarrow 100 \mu \mathrm{rad}$; 2. collapse $\alpha_{\text {ext }}{ }^{H} \rightarrow 0 \mu \mathrm{rad} ; 3$. move the beams to the leveling direction


First step at flat top : decreasing vertical separation $\Delta y=2 * 650 \rightarrow 2 * 100 \mu m$

Separation in IR8 in terms of $\sigma$, for $\varepsilon=3.5 \mu \mathrm{~m} . \mathrm{rad}$

At IP8:
$\Delta x=0$
$\alpha_{x}=220 \mu \mathrm{rad}$
$\alpha_{y}=0 \mu \mathrm{rad}$
R. Versteegen

Dashed lines correspond to 25 ns encounters



Second step at flat top : increasing vertical crossing angle $\boldsymbol{\alpha}_{\mathrm{y}} \mathbf{= 0} \boldsymbol{\mathbf { O }} \mathbf{9 0} \boldsymbol{\mu r a d}$

Separation in IR8 in terms of $\sigma$, for $\varepsilon=3.5 \mu \mathrm{~m} . \mathrm{rad}$



At IP8:
$\Delta x=0$
$\Delta y=2 * 100 \mu \mathrm{~m}$
$\alpha_{x}=220 \mu \mathrm{rad}$
R. Versteegen





Third step : decreasing horizontal crossing angle $\boldsymbol{\alpha}_{\mathrm{x}}=\mathbf{2 2 0} \boldsymbol{\rightarrow} \mathbf{0} \boldsymbol{\mu r a d}$

Separation in IR8 in terms of $\sigma$, for $\varepsilon=3.5 \mu \mathrm{~m} . \mathrm{rad}$


At IP8:
$\Delta x=0$
$\Delta y=2 * 100 \mu \mathrm{~m}$
$\alpha_{y}=90 \mu \mathrm{rad}$
R. Versteegen


Fourth step : increasing horizontal separation $\Delta \mathrm{x}=\mathbf{0} \boldsymbol{\rightarrow} \mathbf{4 2 \mu m}$

Separation in IR8 in terms of $\sigma$, for $\varepsilon=3.5 \mu \mathrm{~m} . \mathrm{rad}$

At IP8:
$\Delta y=2 * 100 \mu \mathrm{~m}$ $\alpha_{x}=0 \mu \mathrm{rad}$ $\alpha_{y}=90 \mu \mathrm{rad}$

R. Versteegen

Dashed lines correspond to 25ns encounters

## Conclusions

1. The procedure works if:
2. We obtain a min of $10 \sigma$ beam separation at the 50 ns encounters.
3. Collimators accept an asymmetry of $\sim 0.5 \sigma$ in the TCT settings w.r.t. beam position
4. Time estimate is 3 minutes $\rightarrow$ although it fits in the 393 s from IP8 $\beta^{*}=3$ $m$ to end of collision beam process (BP), there are some unknowns that push in the direction of decoupling this process completely from the squeeze to the end of the collision BP adding a $\sim 2$ minutes to the declaration of stable beams.
5. Vertical Crossing angle knob created in madx
6. LSA KNOBS under construction
7. Lumi-scan application being adapted
8. The best solution (to our knowledge) is "if aperture available at injection" $\rightarrow$ do this at injection ... UNDER STUDY

## 25ns problem.....

proposed operational procedure:
1.) $\Delta x=\quad+/-350 \mu m$
2.) $\Delta y=700 \mu \mathrm{~m}->0 \mu \mathrm{~m}$
3.) $\alpha_{e x t} y=0->90 \mu \mathrm{rad}$
4.) $\alpha_{e x t} x=220->0 \mu \mathrm{rad}$
5.) $\Delta x=+/-42 \mu \mathrm{~m}, \Delta \mathrm{y}=+/-100 \mu \mathrm{~m}$
detailed plots will follow asap
minimum separation at the $1^{\text {st }} 25 \mathrm{~ns}$ encounter: $+/-3 \sigma$ beam orbit depends on the LHCb polarity ( $\Delta x=2 \sigma$ )
-> TCTs ... ??

## vert crossing at Injection




Fig1: new vertical bump for vertical crossing at LHC injection energy, $170 \mu \mathrm{rad}$
using only the standard orbit correctors at Q4, Q5


Fig 2: to get an estimate for the aperture need of the new vertical crossing angel bump I plot here our standard vertical separation bump:
$\Delta y=2.0 \mathrm{~mm}$ at 450 GeV . Again only Q4, Q5 correctors are applied. Message: the aperture need for the new bump in Fig 1 is much higher than what we normally do in the vertical plane.

Fig3: Just for clarity: both bumps of Fig 1 and 2 in one plot.

Comparison: 2 mm versus 170 murad, beta* $=$ inj, 10 m


To reduce the aperture need and to get a fair statement of what we can do to optimise the story I introduced the triplet corrector mcbxv1.
The strength is "fixed" and the crossing angle bump is closed with the usual Q4, Q5 correctors. Following what has been done in the past and what is applied in IP2, where we have a quite similar situation I put the mcbxv1.18 $=3.0 \mathrm{e}-5$,
mcbxv1.r8=-3.0e-5.


Fig4: vert crossing angle bump $170 \mu \mathrm{rad}$ without triplet corrector


Fig5: vert crossing angle bump $170 \mu \mathrm{rad}$ combined with the triplet corrector mcbxv1.18=-3.0e-5, $\sim . r 8+3.0 \mathrm{e}-5$
... well this is not what we should do as the triplet correctors counteract the bump.

Fig6: vert crossing angle bump $170 \mu \mathrm{rad}$ combined with the triplet corrector mcbxv1.18=+3.0e-5, $\sim . r 8-3.0 \mathrm{e}-5$. The blue lines show the bump including the triplet correctors. The aperture need is reduced. However the strength of the Q4, Q5 correctors is considerably increased. In the end aperture considerations will tell us where to go to.


## HORIZONTAL SEPARATION BUMP

At LHC injection a vertical crossing angle bump will have to be combined with a horizontal separation bump to avoid parasitic (and head on) encounters. Basically a mirror symmetric situation to what we have at present just with the two planes exchanged.
To create this horizontal separation bump again the triplet correctors have been included to reduce the aperture need and (possibly) the strength of the Q4, Q5 correctors.

Fig7: hor. separation bump 2 mm mcbxh1.18=+3.0e-5
mcbxh1.18=+3.0e-5
The green \& red curves show the bump without triplet corrector, the blue lines the bump including the supporting mcbxh. A considerable aperture reduction is obtained, i.e. nearly a factor of two.


## HORIZONTAL BUMP

including the position of the paras. encounters

hor sep bump plus LHC-B zoomed in, +/- $5 \sigma$

## THE DETAILS

Applying the vert crossing at injection means ...
set-up of the crossing angle bump ("knobs") for
injection optics,
10 m flat top
and $. . . \beta^{*}=7.5 \mathrm{~m}, 6.0 \mathrm{~m}, 3.75 \mathrm{~m}, 3.5 \mathrm{~m}, 3.25 \mathrm{~m}, 3.0 \mathrm{~m}$
Advantage:
just collapse the separation bump to go into collision

Dis-Advantage:
aperture need at injection

## APERTURE at 450 GeV

LHC Standard, no angle, no sep, no LHCb


LHC Standard, no angle, no sep, LHCb_on=15.55


LHCb_on=15.55
vert xangle $=170$ murad
hor sep $=2 \mathrm{~mm}$

## Resume:

1.) procedure at $4 \mathrm{TeV}, 3 \mathrm{~m}$ optics established bumps calculated and included in the lhe data base
2.) leveling / separation bump calculated as a combination of 8 coils
3.) to be applied after squeeze in all $\operatorname{IPs}(\Delta t \approx 2 \min )$... to be improved
4.) sufficient separation at the 50 ns encounters 25 ns case needs some more optimisation / check
5.) vertical crossing / horizontal separation at Injection is critical for the aperture \& machine safety
6.) waiting for beam

