## Parameter Space for 450 GeV

## LHC Lattice Layout in IP8

IP8:"natural LHC geometry and the LHCb spectrometer effect
Design Orbit: Beam1 crosses at IP8 from ring outside to inside
-> negative horizontal angle provided by D1 \& D2.

To avoid parasitic crossings this natural crossing is supported by a so-called "external (hor.) crossing angle bump" using the Q4/Q5 correctors.


LHC-b


At injection and on the ramp we have in addition to separate the beams vertically by 2 mm using again an "external separation bump using the Q4/Q5 correctors.

## LHC Lattice Layout in IP8

Situation at Luminosity:

$$
\begin{aligned}
& E=7 \mathrm{TeV} \\
& \varepsilon=3.0 \mu \mathrm{rad}
\end{aligned}
$$

LHCb angle $=x^{\prime}{ }_{\text {int }}=+/-135 \mu \mathrm{rad}$, compensated external hor. crossing angle $=0$ parasitic encounters are avoided by vertical external crossing of $y^{\prime}=90 \mu \mathrm{rad}$



## LHC Lattice Layout in IP8

Situation at Luminosity:

$$
E=7 \mathrm{TeV}, \varepsilon=3.0 \mu \mathrm{rad}
$$

LHCb angle $=x_{\text {int }}=+/-135 \mu \mathrm{rad}$, compensated
external vert. crossing angle, $y^{\prime}=90 \mu \mathrm{rad}$

+/- $5 \sigma$ beam envelope at IP8, in collision mode crosses mark the $25 n$ n encounters


As no external hor. crossing bump is applied the beam envelopes overlap after the LHCb compensators.
Parasitic encounters are avoided by the external vertical bump. (diagonal leveling scheme).

## LHC Lattice Layout in IP8

Situation at Luminosity:

Present Situation at collisions ... The diagonal leveling scheme -Eliminate the External H crossing angle
-Introduce an External V crossing angle that combines with
LHCb spectrometer to the "diagonal leveling plane"


## Situation in IR8 at Injection:

## Situation at Injection:

$E=450 \mathrm{TeV}, \varepsilon=3.0 \mu \mathrm{rad}$,
LHCb Effect: "internal" horizontal crossing angle $=x$ ' $=+/-2.1 \mathrm{mrad}$
"external" hor. crossing angle to avoid parasitic encounters $x$ ' $=-170 \mu \mathrm{rad}$
const.
vertical separation bump $\Delta y=2 m m$
This combination has to avoid encounters at any position.
Vertical plane:
LHC-Standard, Injection 450 GeV , IP8, vert Sep +/- 2 mm , en=3.0 mu

$+/-5 \sigma$ beam envelope at IP8, injection crosses mark the $25 n$ n encounters
Beams are separated at IP and the first encounters \#1 ... \#4

From encounter \#5 on the horizontal crossing bump has to do the job.

## Situation in IR8 at Injection:

$E=450 \mathrm{TeV}, \varepsilon=3.0 \mu \mathrm{rad}$,
LHCb Effect: "internal" horizontal crossing angle $=x$ ' $=+/-2.1$ mrad "external" hor. crossing angle to avoid parasitic encounters - 170 urad const. vertical separation bump $\Delta y=2 m m$ This combination has to avoid encounters at any position.

Horizontal plane: LHCb = GOOD

$+/-5 \sigma$ beam envelope at IP8, injection crosses mark the 25 ns encounters Beams are separated at any encounter
$x^{\prime}=-2.1 \mathrm{mrad}-170 \mu \mathrm{rad}=2.27 \mathrm{mrad}$
No Problem.

## Situation in IR8 at Injection:

## Horizontal plane: $\mathrm{LHCb}=\mathrm{BAD}$

beam 1 is deflected towards outer side of LHC, the compensators are bending back the orbit -> cross over !! and the external bump is used to deliver after the compensators sufficient separation at the parasitic encounters.

$+/-5 \sigma$ beam envelope at IP8
Beams are crossing over between two 50ns encounters $x^{\prime}=+2.1 \mathrm{mrad}-170 \mu \mathrm{rad}=+1.93 \mathrm{mrad}$ cross over between two 50ns encounters.
... for 25 ns bunch spacing parasitic collisions are unavoidable !!


## Situation in IR8 at Injection:

Horizontal plane: $L H C b=B A D$
Nota Bene:

* additional hor. Separation wil not help it shifts just the problem between IP8 left / right.
* a larger vertical separation would have to be HUGE to avoid encounters at \#5, \#6
* and then there is the aperture limit ...


Aperture Model: for present situation
all flags $=0$, flat orbits

all flags $=$ on


## Swapping the Planes ... ?

The horizontal crossing angle bump always will have to fight against the bad LHCb polarity.
A vertical crossing angle bump does not !

$$
\begin{array}{rlrl}
\text { Idea: } \text { hor separation } & \Delta x & =2.0 \mathrm{~mm} \\
& \text { vert. crossing angle } & y & =170 \mu \mathrm{rad}
\end{array}
$$


hor.separation $=+/-2 \mathrm{~mm}$


## Swapping the Planes ... ?


vert. crossing angle separates the beams from encounter \#4

LHCb internal crossing angle separates the beams at \#2 ... \#5 $\Delta \mathrm{x}=2 \mathrm{~mm}$ separates the beams at \#1 (i.e. IP)

horizontal plane: $\mathrm{LHCb}=$ good

$$
\begin{aligned}
& \text { Beam Envelopes: } \\
& \Delta x=2.0 \mathrm{~mm}, y^{\prime}=170 \mu \mathrm{rad}, \mathrm{LHCb}=\mathrm{on}
\end{aligned}
$$

The scheme works for any LHCb polarity and guarantees sufficient separation at ANY encounter !!

## But ...



Aperture Model $n 1 \approx 4.5$

## LHC beam screen is not symmetric hor. / vert.



## Optimisation between

realistic emittance ( $->$ determines crossing angle) assumptions for aperture calculations " $\varepsilon$, cor" reducing the crossing angle to the minimum new ideas ??
I). Installation of new magnets to close the vert. crossing bump before the inner trit


## I). Installation of new magnets <br> to close the vert. crossing bump before the inner triplet?


horizontal plane


LHC_Standard, IR8, inj, vert $\times$-angle $-/+17$ Omurad
vertical plane: $170 \mu \mathrm{rad}$ separates the beams from \#6 on until beyond D1

an internal vertical bump would reduce the separation where we need it most: inside the triplet.
We have no horizontal bump to separate the beams after the LHCb compensator !!

## II). Using the mabx coils to flatten the vert. crossing bump inside the triplet? Reducina the crossina anale to the bare minimum ...



> vertical plane:
$y^{\prime}=108 \mu \mathrm{rad}$
$\varepsilon=3.0 \mu \mathrm{rad}$
mcbx1= -/+ $1.110^{-5}$
to flatten the orbit
bad example: too strong mcbx1= -/+ $510^{-5}$ i.e. too strong


## III). Optimising $Y^{\prime}$

Reducing the crossing angle to the bare minimum ...
$\varepsilon=3.0$,
scanning the vertical crossing angle ... with slight optimism.


IV). And again the Aperture
... for the pre-defined "Aperture Settings"



$$
y^{\prime}=108 \mu \mathrm{rad}
$$

## V) Aperture Scans

$$
\varepsilon=3.0 \mu \mathrm{rad}
$$

LHC-Aperture, inj, en=3.0, cor=3.0, $y^{\prime}=0.8=108 \mathrm{murad}$


LHC-Aperture, inj, en=3.0, cor=2.0, $y^{\prime}=0.8=108 \mathrm{murad}$


## V) Aperture Scans



## V) Aperture Scans

$$
\varepsilon=3.5 \mu \mathrm{rad}
$$



## VI.) ... and finally the measurements

MD: 29-Nov-2012, 9:00-10:34h

Logbook plots: 6-Dez-2012
hor. VdM bump ... to avoid artificial limitations of vert. aperture.

VI.) ... and finally the measurements
(vert.) orbits beam1
data_set 194, 9:50:25h at aperture limit (1 ${ }^{\text {st }}$ direction)

|  | v 1 | -us.1 | 0.0 | $\checkmark$ | $\checkmark$ | $\checkmark$ | u |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| BPM.8L8.B1 | V 1 | 772.3 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPM.7L8.B1 | $V 1$ | 174.0 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMR.6L8.B1 | $\vee 1$ | -315.5 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPM.5L8.B1 | $\vee 1$ | 2056.2 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMYB.4L8.B1 | $\vee 1$ | 9010.8 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMWB.4L8.B1 | $V 1$ | 6950.5 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMSX.4L8.B1 | V 1 | 820.0 | 0.0 | 0.0 | 134217729 |  |  | 1 |
| BPMS.2L8.B1 | V 1 | -12684.9 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMSW.1L8.B1 | V 1 | -9128.2 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMSW.1R8.B1 | V 1 | -6708.6 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMS.2R8.B1 | V 1 | -7460.4 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMSX.4R8.B1 | V 1 | -2243.4 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMWB.4R8.B1 | V 1 | 8625.7 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMYB.4R8.B1 | V 1 | 7669.6 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPMYB.5R8.B1 | V 1 | 3463.4 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPM.6R8.B1 | $V 1$ | -94.6 | 0.0 | 0.0 | 0 | 0 | OK |  |
| BPM_A.7R8.B1 | $V 1$ | -1201.8 | 0.0 | 0.0 | 0 | $\square$ | OK |  |
| BPM.8R8.B1 | V 1 | -810.1 | 0.0 | 0.0 | 0 | $\square$ | OK |  |
| now ano na | $1{ }^{1}$ | ก19 - | $\bigcirc 0$ | $\bigcirc \square$ | $\bigcirc$ | $\bigcirc$ | ar |  |

data_set 295, 9:50:25h at aperture limit ( $2^{\text {nd }}$ direction)

| LrI.rluebi | v 1 | uuv.r | 0.0 | 0.0 | $\checkmark$ - | I Lᄂ_ur |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| BPMR.6L8.B1 | V 1 | -1211.0 | 0.0 | 0.0 | 31 | FEC_BP | _ACQ_FAILURE, FEC_BPM_ERROR_RATE_H |
| BPM.5L8.B1 | V 1 | 1970.2 | 0.0 | 0.0 | 11 | FEC_BP | _ACQ_FAILURE |
| BPMYB.4L8.B1 | V 1 | -8635.0 | 0.0 | 0.0 | 00 | OK |  |
| BPMWB.4L8.B1 | V 1 | -7091.8 | 0.0 | 0.0 | 0 0 | OK |  |
| BPMSX.4L8.B1 | V 1 | 820.0 | 0.0 | 0.0 | 13421 | 7729 | FEC_BPM_ACQ_FAILURE, REMOVED_OP |
| BPMS.218_81 | U1 | 118ดด 9 | ดด | 0.0 | 0 0 | OK |  |
| BPMSW.1L8.B1 | V 1 | 9607.5 | 0.0 | 0.0 | 00 | OK |  |
| BPMSW.1R8.B1 | V 1 | 11003.4 | 0.0 | 0.0 | 00 | OK |  |
| BPMS.2R8.B1 | V 1 | 6013.2 | 0.0 | 0.0 | 0 0 | OK |  |
| BPMSX.4R8.B1 | V 1 | 2462.8 | 0.0 | 0.0 | 06 | OK |  |
| BPMWB.4R8.B1 | V 1 | -7598.4 | 0.0 | 0.0 | 00 | OK |  |

VI.) ... and finally the measurements

## (vert.) orbits

 beam1
beam2


## VI.) ... and finally the measurements

## YASP-Extraction:



## overall amplitude

$$
\begin{aligned}
& 28.7 \mathrm{~mm}+2 * 4 \sigma \\
& \beta=270 \mathrm{~m}, \varepsilon_{n}=3.5->\sigma=1.5 \mathrm{~mm}
\end{aligned}
$$

aperture radius $=20.4 \mathrm{~mm}$

## cross check \& summary

" never trust the BPM readings " - non-linearity problem -

Referring to the IP settings of the bump: aperture limits obtained at $\Delta y \approx+/-11 \mathrm{~mm}$ corresponds to 17.8 mm at Q2.
Overall Aperture:
$17.8 \mathrm{~mm}+4 \sigma=23.8 \mathrm{~mm}$
Compared to theoretical expected value: ...


Beam Screen Geometry in IP8 hor $*$ vert. $=29 \mathrm{~mm} * 24 \mathrm{~mm}$ ufffff ... ?????

## cross check \& summary

Aperture Need:
$y^{\prime}=108 \mu \mathrm{rad}->\Delta y=6.8 \mathrm{~mm}$ at Q2
resulting n1 margin: n1 = 7
Overall Aperture Measured = 24 mm
In other words: applying 108urad gives us still margin for 17 mm ... corresponding to $12 \sigma$.

