

interaction of macroparticles with the LHC proton beam

Zhao Yang, EPFL

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simulate the macroparticle trajectory, charge state and resulting beam lifetime

assume mass, density, initial position and charge state

forces: gravity, beam electric field, electric image charge

charging from ionization

beam loss due to nuclear interaction (cross section)
quench threshold \sim a few 10^7 p/s

extend IPAC'10 study of

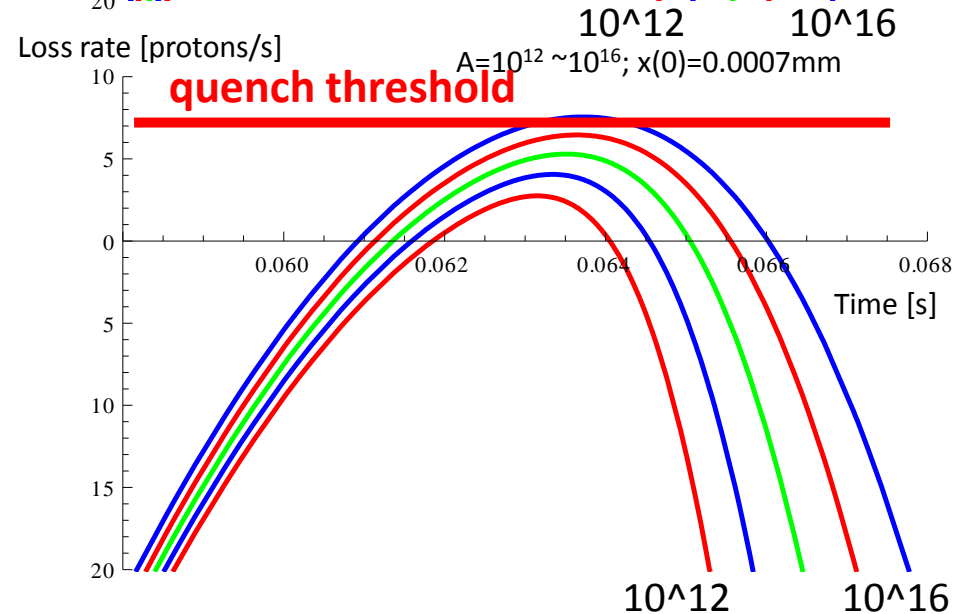
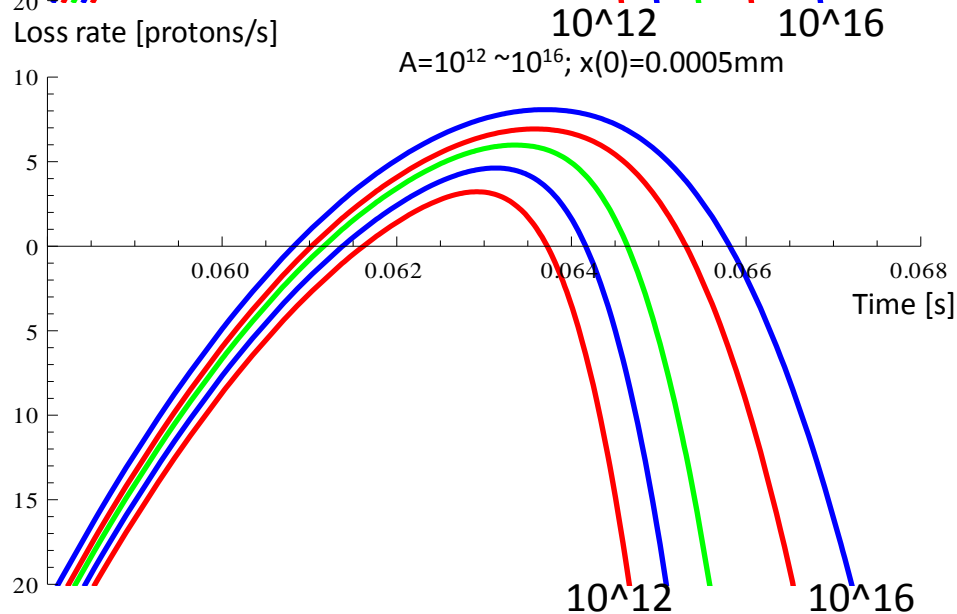
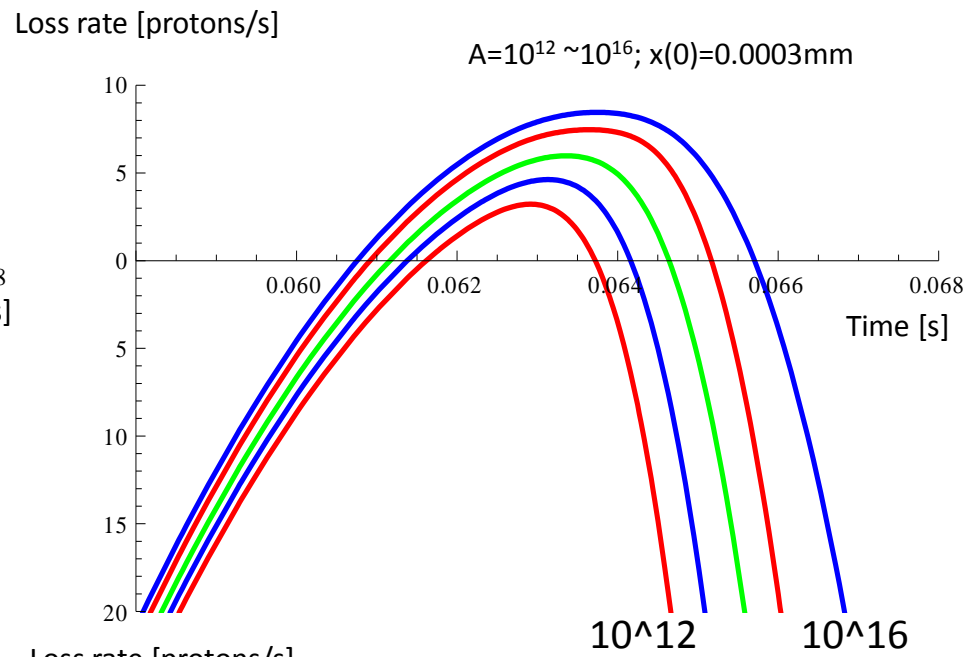
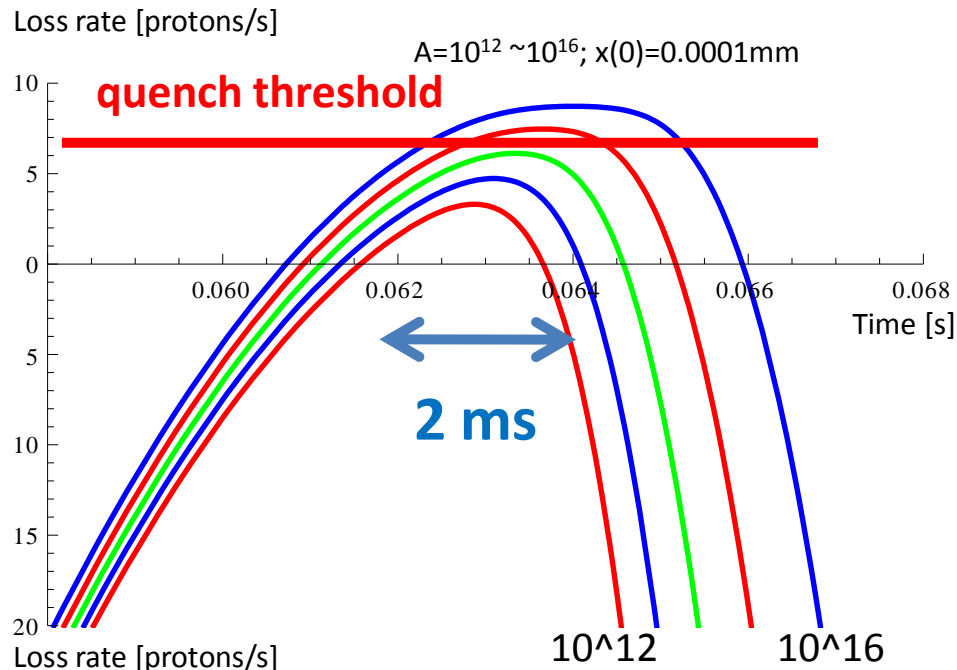
M. Giovannozzi, A. Xagkoni, F. Zimmermann:

varying initial position, second crossing, ...

table with beam & particle parameters

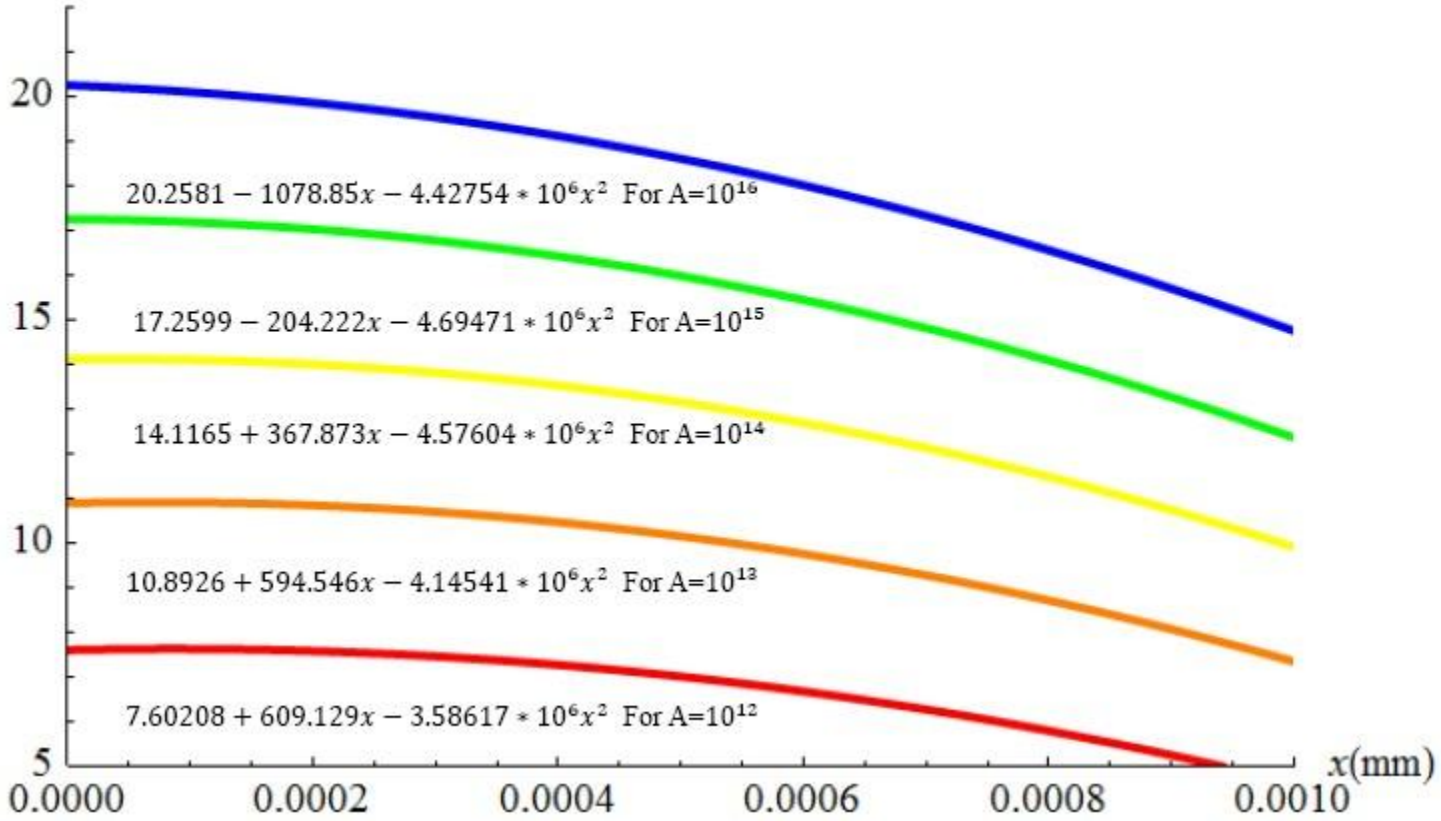
Acceleration from Gravity	$g=9.81\text{m/s}^2$
Radius of the vacuum chamber	$b=0.02\text{m}$
Circumference of the storage ring	$C=26700\text{m}$
Total number of protons in the beam(protons/beam)	$n_{\text{protons}}= 0.9*10^{11}*25$
crosssection	$0.42*10^{(-28)} \text{ m}^2$
rms beam size	$\sigma=0.0003\text{m}$

Resulting loss rate with different $x[0]$ and different mass

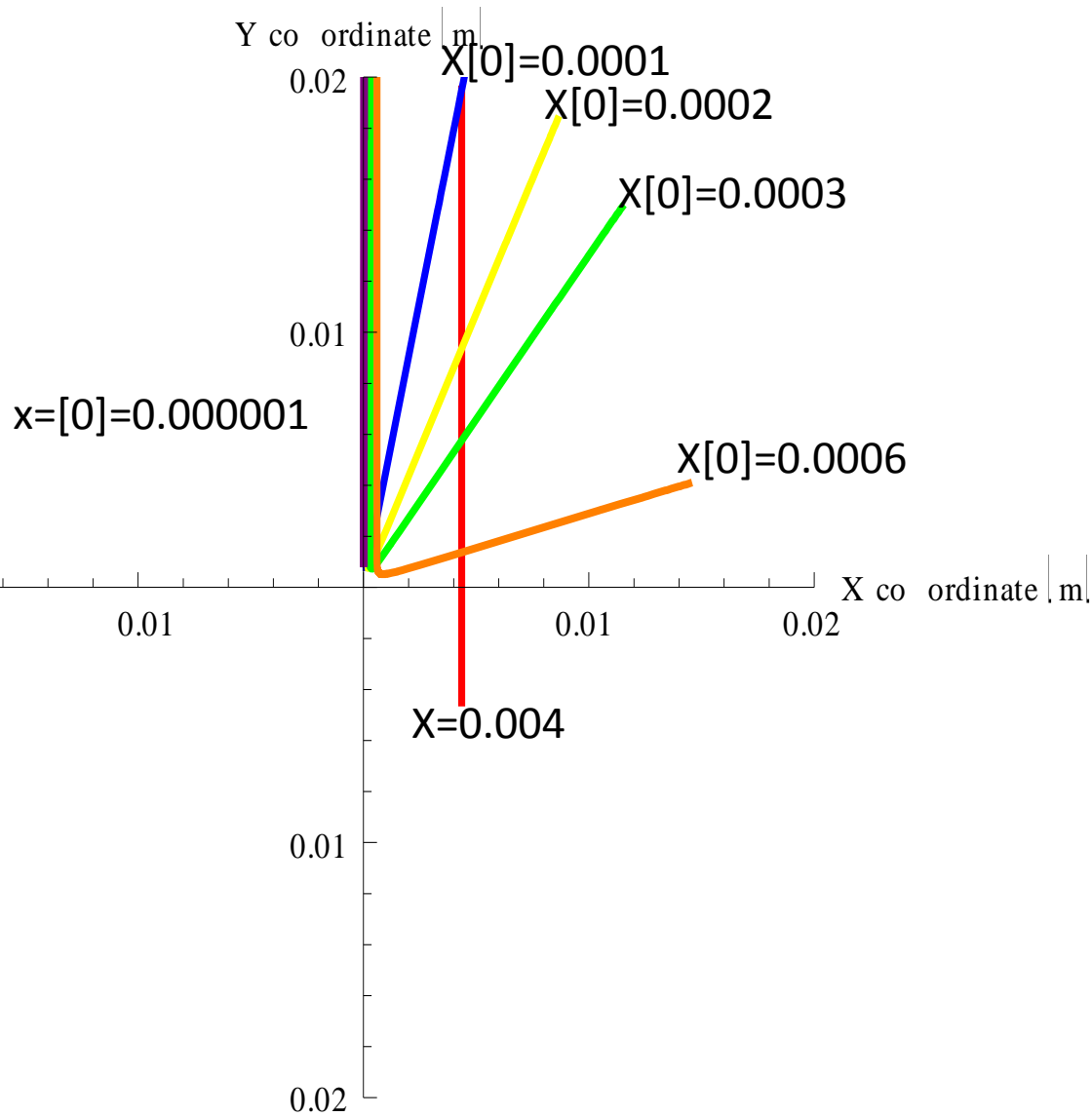


We can measure the maximum of each beam lost rate, and fit them by x co-ordinate with function $\ln y = a + b x + c x^2$

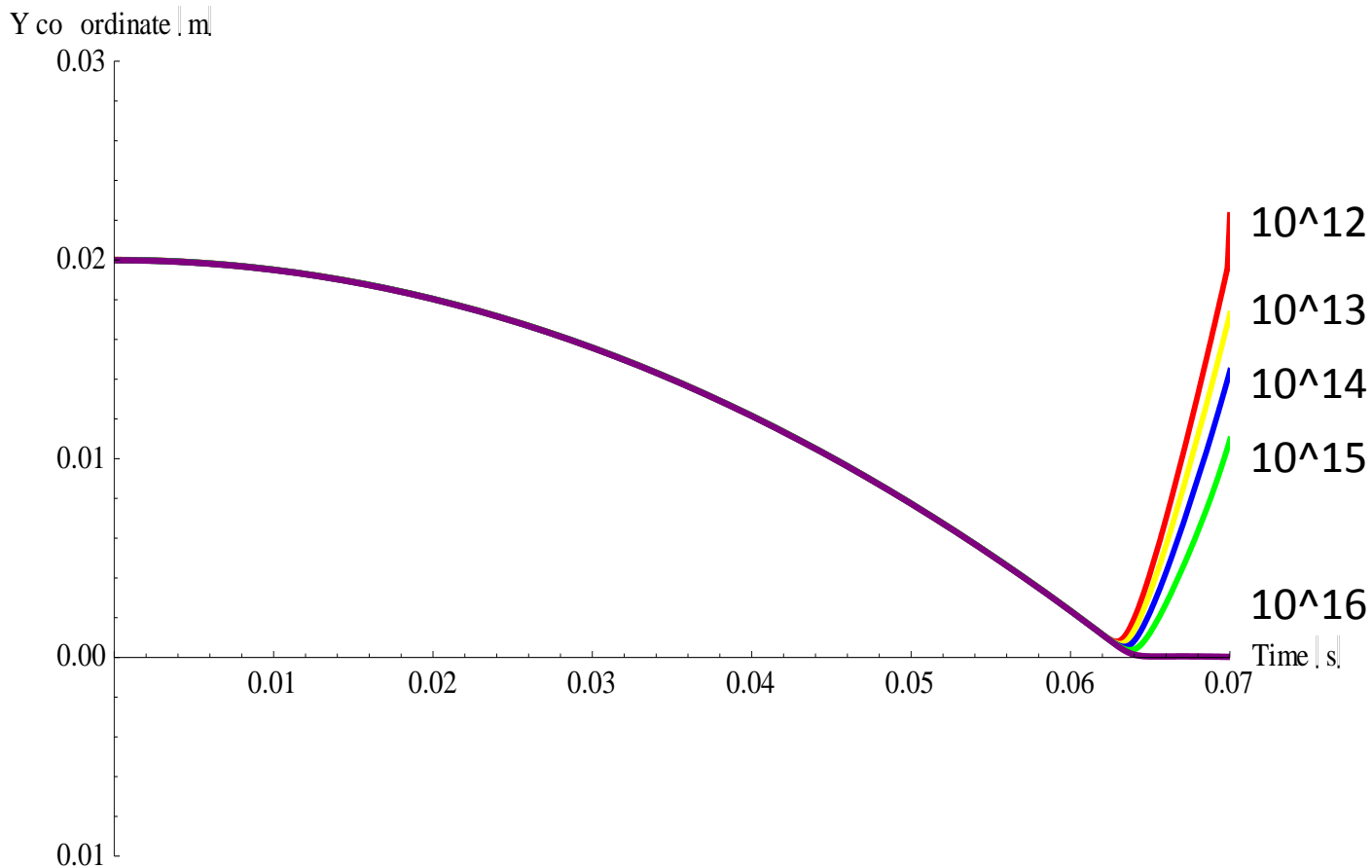
$$\ln(y) \left(\frac{\text{Nb protons}}{s} \right)$$



this is the plot with peak loss for different masses with $x[0]=0.0001$ m



When the particle crosses the beam, it may move upwards or fall down, this depends on the value of x .
 If x is very small, it will fall down, otherwise move upwards.



Purpose: continue the calculation of particle motion and beam loss for a longer time to see the time interval at which they cross the beam the second time

To do this, we will need to extend the equations of motion:

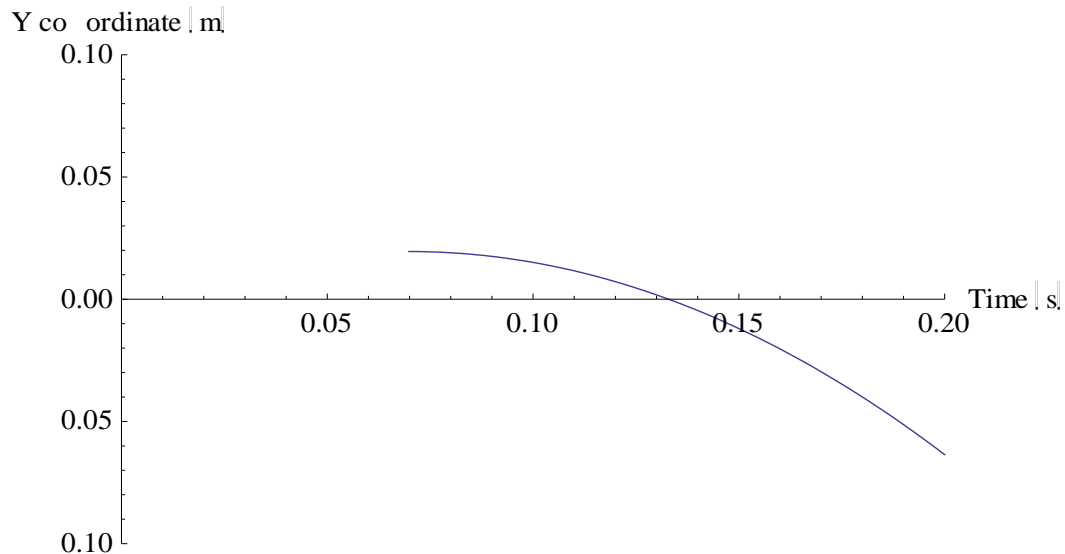
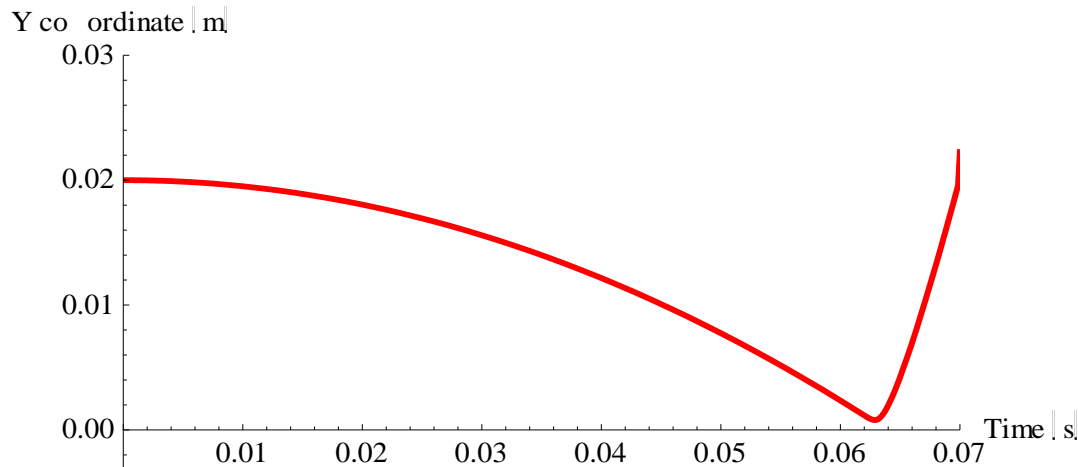
1) For those particles which fall down we do not need to do anything special.

2) But for those particles which are repelled and move upwards, we should check if their y value exceeds the height of the chamber

when this happens we can reset their charge Q to -1 , set the vertical velocity to 0 , and set them back onto a distance equal to the chamber radius.

$$Q[t]=-1 \quad x'[t]=0 \quad y'[t]=0$$

This is an example for it: $A=10^{12}$; $x[0]=0.0001$



The point at which
 $y[t]=\sqrt{((b-R[A])^2-x[t]^2)}$
 is $t= 0.0698373$

Then we set:

$$y'[0.0698373]= 0$$

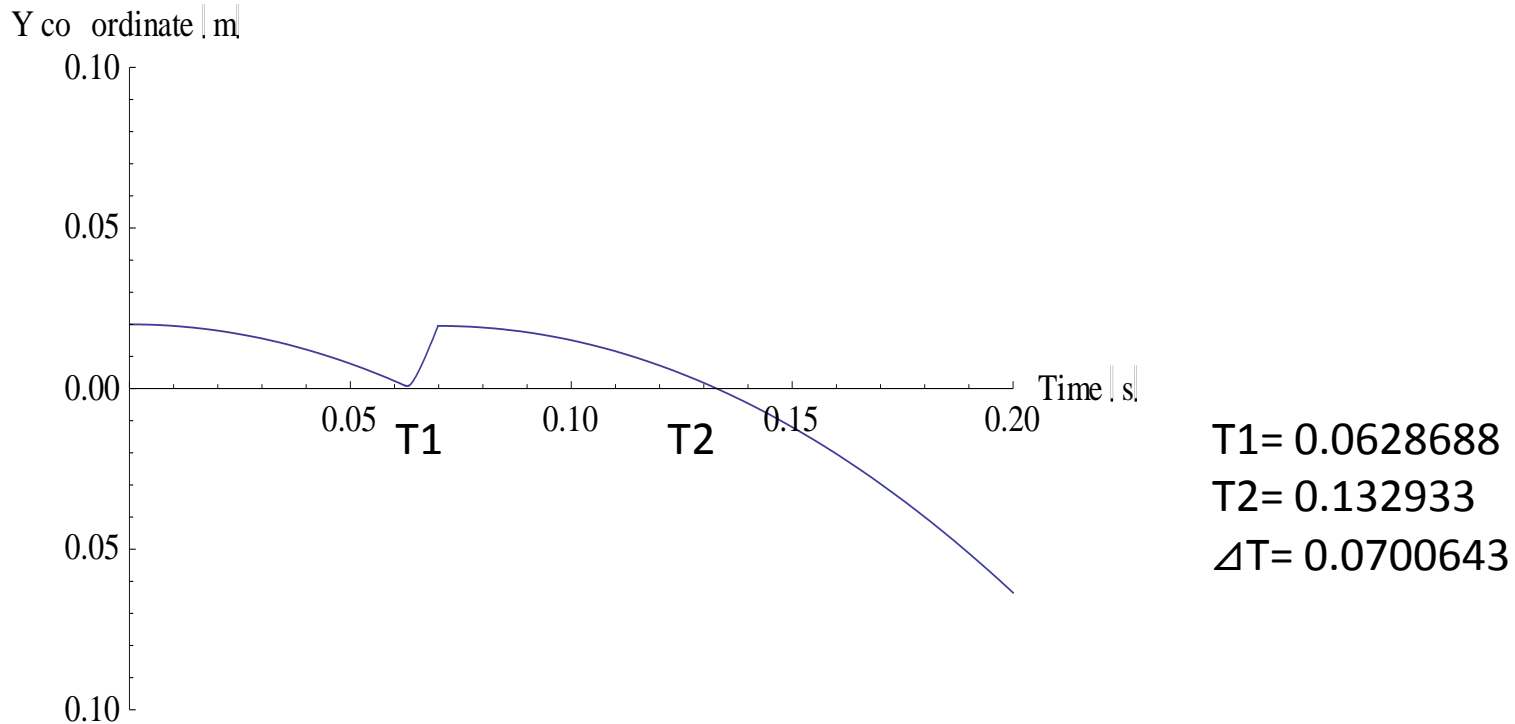
$$x'[0.0698373]= 0$$

$$Q[0.0698373]= -1$$

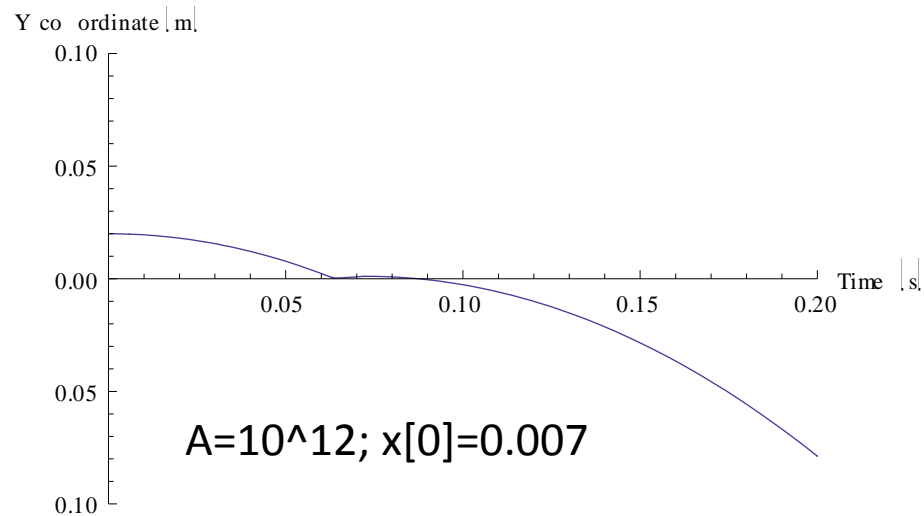
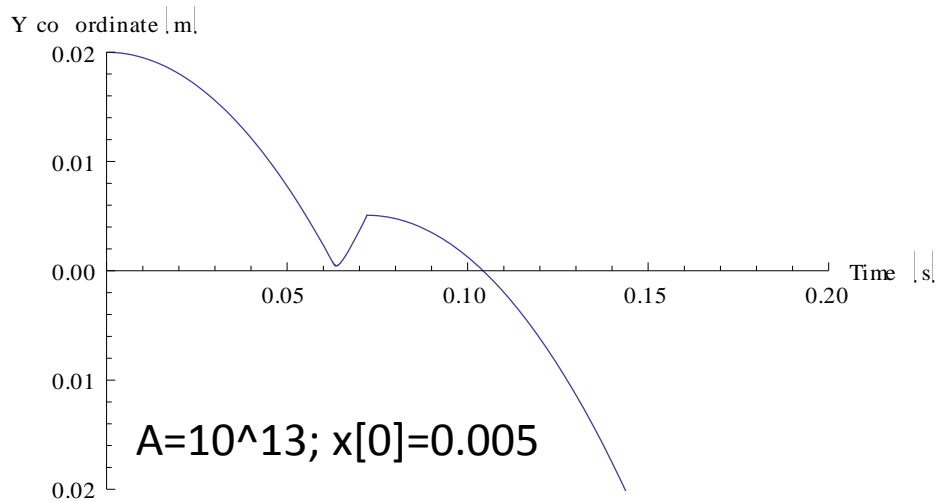
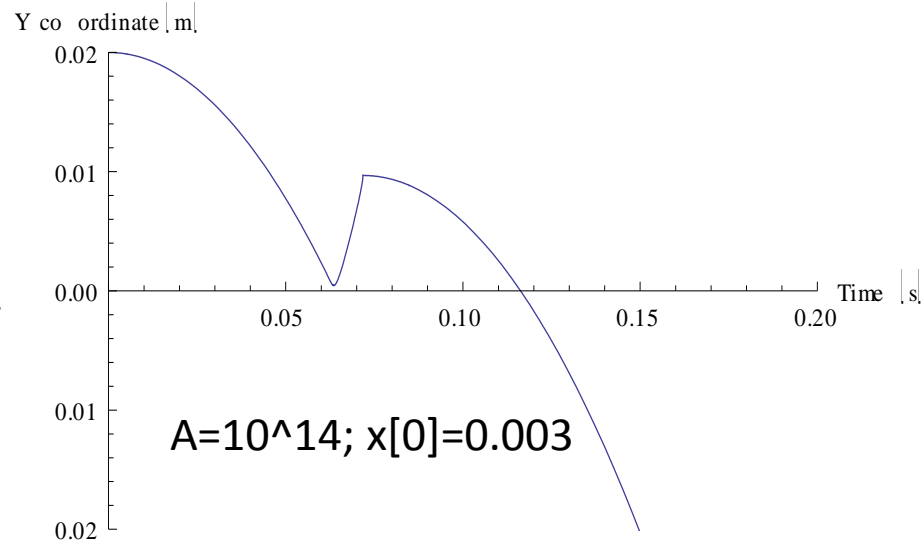
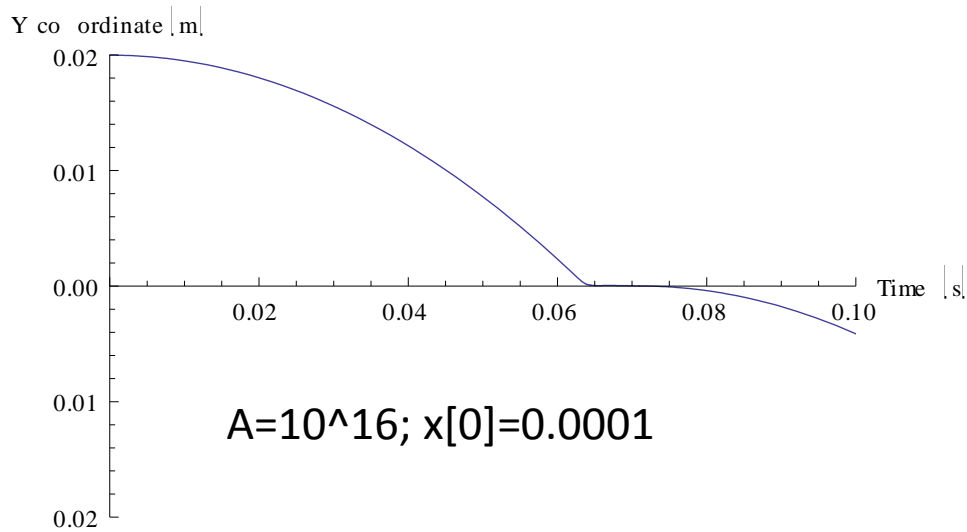
And we can get a new
 curve

for $\{t, 0.0698373, 0.02\}$

Combining those two curves, we can get the curve which shows the particles cross the beam the second time :



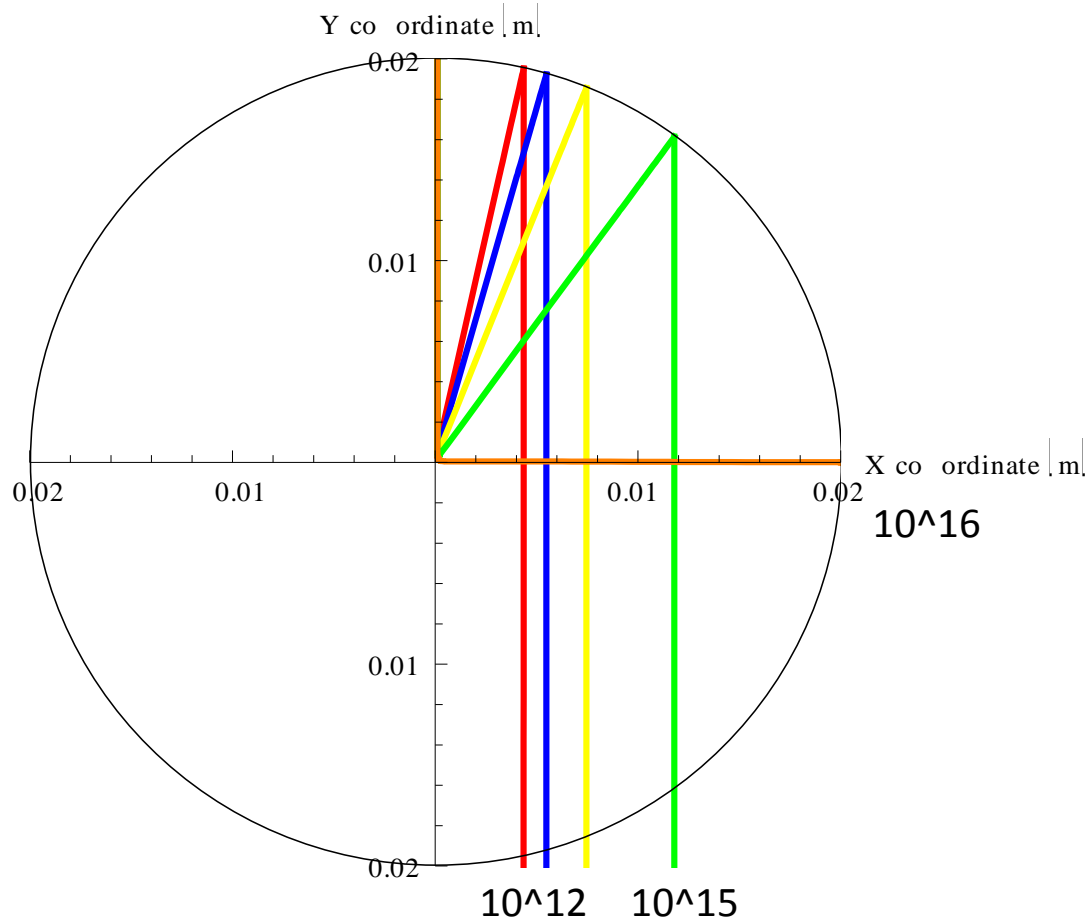
Some other examples with different conditions



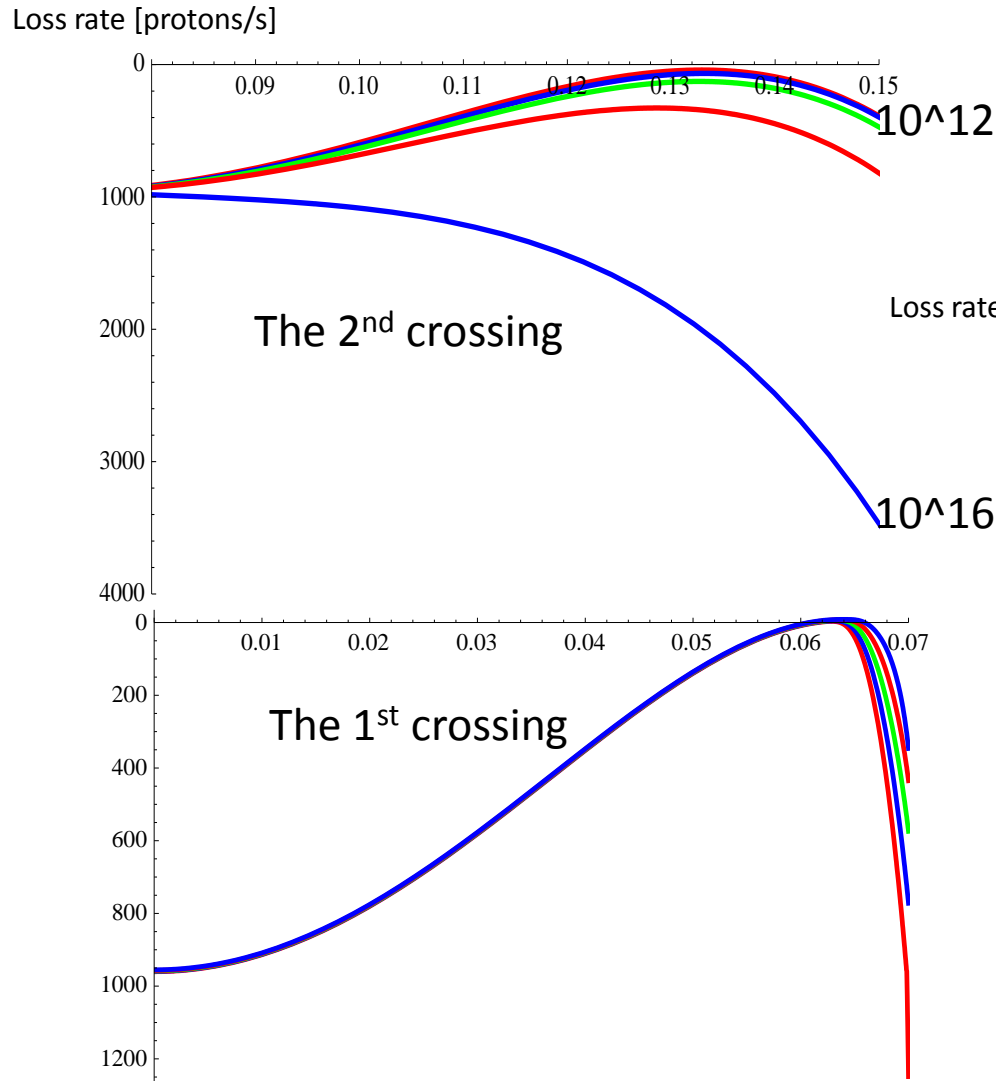
the table of ΔT with different mass and different $x[0]$

x=0.0001					
A	10^{12}	10^{13}	10^{14}	10^{15}	10^{16}
t (s)	0.070064	0.0701	0.682928	0.0649	0.001548
x=0.0003					
A	10^{12}	10^{13}	10^{14}	10^{15}	
t	0.064052	0.060711	0.052688	0.007779	
x=0.0005					
A	10^{12}	10^{13}			
t	0.051286	0.040636			
x=0.0007					
A	10^{12}				
t	0.023107				

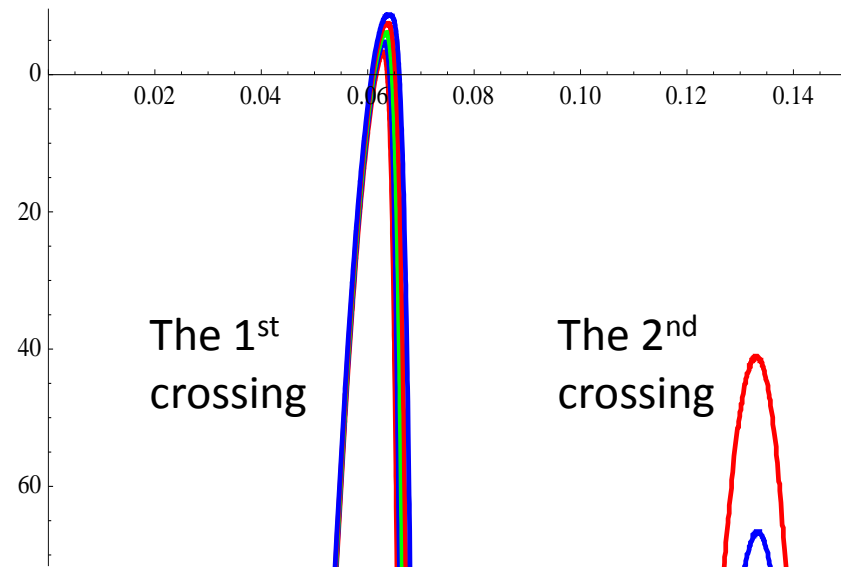
This is the trajectory in x-y space for $A=10^{12}$ to 10^{15} , the particles are charging up to be repelled upwards for the 1st time and all of them are falling down for the 2nd time.



plot with beam loss for 1st and 2nd crossing with $x[0]=0.0001\text{m}$



The beam loss rate of the 2nd crossing is quite small comparing to the 1st crossing.



plan for future work

- complete project report
- repeat calculations for higher beam current
- vary beam size (injection)
- introduce magnetic field
- look at other shapes and materials (plastic)
- make mathematica notebooks more automatic